

BAB I

KESIMPULAN

Dari pembahasan pada BAB III dapat disimpulkan bahwa :

1. Himpunan lembut kabur intuisiionistik *hesitant* bernilai interval merupakan penggabungan dari himpunan kabur intuisiionistik *hesitant* bernilai interval dan himpunan lembut

2. Misalkan (\tilde{F}, A) , (\tilde{G}, B) , dan (\tilde{H}, C) merupakan himpunan lembut kabur intuisiionistik *hesitant* bernilai interval. Berikut adalah definisi operasi-operasi himpunan lembut kabur intuisiionistik *hesitant* bernilai interval dan sifat - sifatnya :

- (a) Komplemen dari himpunan lembut kabur intuisiionistik *hesitant* bernilai interval (\tilde{F}, A) , yang dinotasikan dengan $(\tilde{F}, A)^c$, didefinisikan sebagai $(\tilde{F}, A)^c = (\tilde{F}^c, A)$ dimana $\tilde{F}^c: A \rightarrow \tilde{H}(U)$ merupakan pemetaan yang didefinisikan $\tilde{F}^c(e) = (\tilde{F}(e))^c, \forall e \in A$.

- (b) Operasi " AND"

$$(\tilde{F}, A) \wedge (\tilde{G}, B) = (\tilde{H}, A \times B),$$

$$\text{dimana } \tilde{H}(\alpha, \beta) = \tilde{F}(\alpha) \cap \tilde{G}(\beta), \forall (\alpha, \beta) \in A \times B.$$

- (c) Operasi " OR"

$$(\tilde{F}, A) \vee (\tilde{G}, B) = (\tilde{O}, A \times B),$$

$$\text{dimana } \tilde{H}(\alpha, \beta) = \tilde{F}(\alpha) \cup \tilde{G}(\beta), \forall (\alpha, \beta) \in A \times B.$$

(d) Hukum De Morgan

$$i. ((\tilde{F}, A) \wedge (\tilde{G}, B))^c = (\tilde{F}, A)^c \vee (\tilde{G}, B)^c.$$

$$ii. ((\tilde{F}, A) \vee (\tilde{G}, B))^c = (\tilde{F}, A)^c \wedge (\tilde{G}, B)^c.$$

(e) Hukum Asosiatif

$$i. (\tilde{F}, A) \wedge ((\tilde{G}, B) \wedge (\tilde{H}, C)) = ((\tilde{F}, A) \wedge (\tilde{G}, B)) \wedge (\tilde{H}, C).$$

$$ii. (\tilde{F}, A) \vee ((\tilde{G}, B) \vee (\tilde{H}, C)) = ((\tilde{F}, A) \vee (\tilde{G}, B)) \vee (\tilde{H}, C).$$

(f) Operasi Gabungan

$$i. (\tilde{F}, A) \cup (\tilde{F}, A) = (\tilde{F}, A).$$

$$ii. (\tilde{F}, A) \cup \tilde{\Phi}_A = (\tilde{F}, A).$$

$$iii. (\tilde{F}, A) \cup \tilde{U}_A = \tilde{U}_A.$$

$$iv. (\tilde{F}, A) \cup \tilde{U}_B = \tilde{U}_B \text{ jika dan hanya jika } A \subseteq B.$$

$$v. (\tilde{F}, A) \cup \tilde{\Phi}_A = (\tilde{F}, A) \text{ jika dan hanya jika } B \subseteq A.$$

$$vi. (\tilde{F}, A) \cup (\tilde{G}, B) = (\tilde{G}, B) \cup (\tilde{F}, A).$$

(g) Operasi Irisan

$$i. (\tilde{F}, A) \cap (\tilde{F}, A) = (\tilde{F}, A).$$

$$ii. (\tilde{F}, A) \cap \tilde{\Phi}_A = \tilde{\Phi}_A.$$

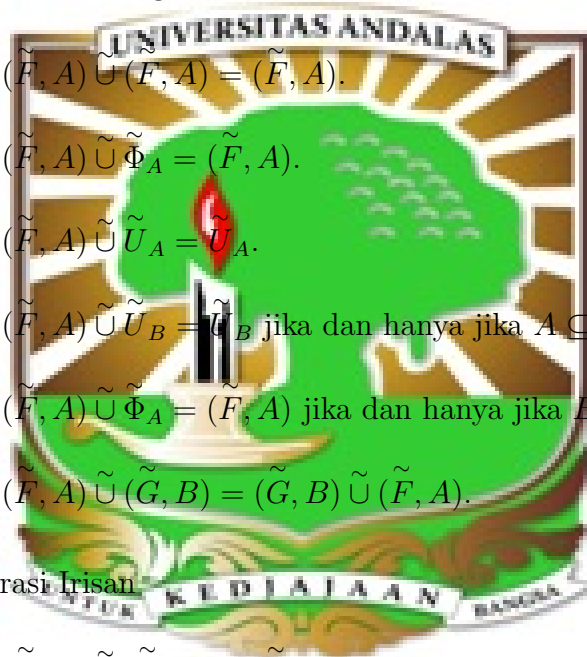
$$iii. (\tilde{F}, A) \cap \tilde{U}_A = (\tilde{F}, A).$$

$$iv. (\tilde{F}, A) \cap \tilde{U}_B = (\tilde{F}, A \cap B).$$

$$v. (\tilde{F}, A) \cap \tilde{\Phi}_A = \tilde{\Phi}_{A \cap B}.$$

$$vi. (\tilde{F}, A) \cap (\tilde{G}, B) = (\tilde{G}, B) \cap (\tilde{F}, A).$$

(h) Operasi Gabungan *restricted*



- i. $(\tilde{F}, A) \tilde{\cup}_R (\tilde{F}, A) = (\tilde{F}, A)$.
- ii. $(\tilde{F}, A) \tilde{\cup}_R \tilde{\Phi}_A = (\tilde{F}, A)$.
- iii. $(\tilde{F}, A) \tilde{\cup}_R \tilde{U}_A = \tilde{U}_A$.
- iv. $(\tilde{F}, A) \tilde{\cup}_R \tilde{U}_B = \tilde{U}_{A \cap B}$.
- v. $(\tilde{F}, A) \tilde{\cup}_R \tilde{\Phi}_B = (\tilde{F}, A \cap B)$.
- vi. $(\tilde{F}, A) \tilde{\cup}_R (\tilde{G}, B) = (\tilde{G}, B) \tilde{\cup}_R (\tilde{F}, A)$.

(i) Operasi Irisan *extended*

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- i. $(\tilde{F}, A) \tilde{\cap}_E (\tilde{F}, A) = (\tilde{F}, A)$.
 - ii. $(\tilde{F}, A) \tilde{\cap}_E \tilde{\Phi}_A = \tilde{\Phi}_A$.
 - iii. $(\tilde{F}, A) \tilde{\cap}_E \tilde{U}_A = (\tilde{F}, A)$.
 - iv. $(\tilde{F}, A) \tilde{\cap}_E \tilde{U}_B = (\tilde{F}, A)$ jika dan hanya jika $B \subseteq A$.
 - v. $(\tilde{F}, A) \tilde{\cap}_E \tilde{\Phi}_B = \tilde{\Phi}_B$ jika dan hanya jika $A \subseteq B$.
 - vi. $(\tilde{F}, A) \tilde{\cap}_E (\tilde{G}, B) = (\tilde{G}, B) \tilde{\cap}_E (\tilde{F}, A)$.

(j) Hukum De Morgan

- i. $((\tilde{F}, A) \tilde{\cup} (\tilde{G}, B))^c = (\tilde{F}, A)^c \tilde{\cap}_E (\tilde{G}, B)^c$.
- ii. $((\tilde{F}, A) \tilde{\cap}_E (\tilde{G}, B))^c = (\tilde{F}, A)^c \tilde{\cup} (\tilde{G}, B)^c$.
- iii. $((\tilde{F}, A) \tilde{\cup}_R (\tilde{G}, B))^c = (\tilde{F}, A)^c \tilde{\cap} (\tilde{G}, B)^c$.
- iv. $((\tilde{F}, A) \tilde{\cap} (\tilde{G}, B))^c = (\tilde{F}, A)^c \tilde{\cup}_R (\tilde{G}, B)^c$.

- (k) i. $(\tilde{F}, A) \tilde{\cap}_E ((\tilde{G}, B) \tilde{\cap}_E (\tilde{H}, C)) = ((\tilde{F}, A) \tilde{\cap}_E (\tilde{G}, B)) \tilde{\cap}_E (\tilde{H}, C)$.
- ii. $(\tilde{F}, A) \tilde{\cup} ((\tilde{G}, B) \tilde{\cup} (\tilde{H}, C)) = ((\tilde{F}, A) \tilde{\cup} (\tilde{G}, B)) \tilde{\cup} (\tilde{H}, C)$.

(l) Operasi Average

$$(\tilde{F}, A) \oplus (\tilde{G}, B) = (\tilde{H}, A \times B),$$

dimana $\tilde{H}(\alpha, \beta) = \tilde{F}(\alpha) \oplus \tilde{G}(\beta), \forall (\alpha, \beta) \in A \times B$.

(m) Operasi Geometri

$$(\tilde{F}, A) \otimes (\tilde{G}, B) = (\tilde{O}, A \times B),$$

dimana $\tilde{O}(\alpha, \beta) = \tilde{F}(\alpha) \otimes \tilde{G}(\beta), \forall (\alpha, \beta) \in A \times B$.

(n) i. $((\tilde{F}, A) \oplus (\tilde{G}, B))^c = (\tilde{F}, A)^c \otimes (\tilde{G}, B)^c$.

ii. $((\tilde{F}, A) \otimes (\tilde{G}, B))^c = (\tilde{F}, A)^c \oplus (\tilde{G}, B)^c$.

